$\qquad$
$\qquad$

## DIPLOMA EXAMINATION IN ENGINEERING/TECHNOLOGY/ MANAGEMENT/COMMERCIAL PRACTICE, NOVEMBER - 2022

## THEORY OF STRUCTURES -I

## PART-A

I. Answer all the following questions in one word or one sentence. Each question carries 'one' mark.

|  |  | $(9 \times 1=9 \text { Marks })$ <br> Module Outcome Cognitive leve |  |
| :---: | :---: | :---: | :---: |
| 1. | Algebraic sum of all the moments to the left or right of the section is called. $\qquad$ | M1. 01 | R |
| 2. | The point at which the value of BM changes from positive to negative is known as. $\qquad$ | M1.02 | R |
| 3. | The ratio of effective length to least radius of gyration............ | M2.01 | R |
| 4. | Fixed end moments for a fixed beam having length L carries a UDL of intensity $\mathrm{w} / \mathrm{m}$ throughout the span is. | M3.04 | R |
| 5. | The ratio of the carried-over moment at the other end to the fixed-end moment of the initial end is known as. | M4.03 | R |
| 6. | Effective length of column with two ends are fixed............. | M2.01 | R |
| 7. | Equation of the deflection at the free end of a cantilever beam having length L with UDL w/m throughout the span. | M3.02 | R |
| 8. | The product of Young's Modulus \& moment of inertia is known as. $\qquad$ | M4.01 | R |
| 9. | The deflection for a fixed beam is $\qquad$ .than a simply supported beam with same span \& loading. | M3.04 | R |

## PART-B

II. Answer any eight questions from the following. Each question carries 'three' marks.

| $\mathbf{8} \mathbf{x} \mathbf{3 =} \mathbf{2 4} \mathbf{M a r k s})$   <br> 1. Write the assumptions of pure bending. M 1.01 <br> 2. Write the limitations of Euler's Formula. R <br> 3. Arrive the formula for the mid span deflection of a simply supported <br> beam with central concentrated load using Moment area method. M 3.02 <br> 4. Write down the steps in Moment distribution method. U <br> 5. Write the relation between the maximum \& average shear stress for a <br> rectangular section \& draw the shear stress distribution of the section. M 1.04 <br> 6. Draw the core of a rectangular section, by explaining the concept of <br> limit of eccentricity. M 2.04 |  |  | R |
| :---: | :--- | :---: | :---: |


| 7. | Write the Fixed end moment for a beam of span 6 m, a UDL of $3 \mathrm{kN} / \mathrm{m}$ <br> on the entire span \& central concentrated load of 10 kN. | M 3.04 | U |
| :--- | :--- | :---: | :---: |
| 8. | Explain : <br> i) Stiffness ii) Distribution factor | M 4.03 | R |
| 9. | Draw the BM \& SF Diagrams of the simply supported beam with <br> UDL. | M 1.02 | R |
| 10. | Find the maximum diameter of a solid shaft which will not twist more <br> than $3^{0}$ in a length of 6 m when subjected to a torque of $12 \mathrm{kN}-\mathrm{m}$ ? What <br> is the maximum shear stress induced in the shaft? Take Modulus of <br> rigidity $=82$ Gpa. | M 3.03 | A |

## PART-C

Answer all questions. Each question carries 'seven' marks.
( $6 \times 7=42$ Marks)

| III. | A beam of span 8 m having cross section $200 \times 400 \mathrm{~mm}$ simply supported at both ends. The maximum bending stress for the beam material is $20 \mathrm{~N} / \mathrm{mm}^{2}$. What will be the max value of midspan concentrated load that can be applied on the beam? <br> OR | M1.04 | A |
| :---: | :---: | :---: | :---: |
| IV. | A simply supported beam of span 8 m carries of UDL of $20 \mathrm{kN} / \mathrm{m}$ over entire span. The beam is having a cross section of $120 \mathrm{~mm} x$ 180 mm . Draw the shear stress distribution at 1 m from the left support, by considering horizontal fiber 30 mm apart from top to bottom in the cross section. | M1.04 | U |
| V. | Define: <br> i) Middle third Rule <br> ii) Angle of internal friction <br> iii) Weep holes | M2.05 | R |
| VI. | OR <br> A hollow mild steel tube 8 m long \& 5 cm internal diameter and 10 mm thick used as a strut with two ends fixed. Find Euler's Crippling load and safe load if the Factor of safety 3, $\mathrm{E}=2 \times 10^{5} \mathrm{~N} / \mathrm{mm}^{2}$. | M2.02 | U |

\begin{tabular}{|c|c|c|c|}
\hline VII.

VIII. \& \begin{tabular}{l}
A cantilever beam having length $L$ carries a point load of $W$ at the center. Determine the slope \& deflection at the free end? Use Moment area method. <br>
OR <br>
Compare the Bending moment diagrams of simply supported beam \& fixed beam having same length. Both have a UDL of w/m throughout the span. Which beam experience maximum bending moment?

 \& 

M3.02 <br>
M3. 04
\end{tabular} \& A

A <br>

\hline IX. \& | A two span continuous beam both have equal span, carries a point load of W at the center of each span, all supports are simply supported. Draw the BM \& SF Diagrams using Clapeyron's Equation. Take E1 constant. |
| :--- |
| OR |
| A beam $A B C$ A \& C are fixed and $B$ simply supported. The span AB carries a point load of 15 kN at the center. The span BC carries a UDL of $10 \mathrm{kN} / \mathrm{m}$. $\mathrm{AB}=5 \mathrm{~m}, \mathrm{BC}=4 \mathrm{~m}$. Draw the BM Diagrams using Moment distribution method. | \& | M4.02 |
| :--- |
| M4. 03 | \& U

U <br>

\hline XI. \& | Draw BM \& SF Diagrams of the beam $\mathrm{ABC}, \mathrm{BC}$ is the overhanging span. $A B=4 \mathrm{~m}, \mathrm{BC}=2 \mathrm{~m}$. Point load of 36 kN act at the midspan of $A B$ \& point load of 20 kN act at C. supports A \& B are simply supported. |
| :--- |
| OR |
| What are the major forces acting on a dam? Describe the stability criteria based on the effect of these forces. | \& M1.02

M2.05 \& U

U <br>

\hline XIII. \& | A solid circular shaft has to transmit 150 kW of power at 200 rpm . If the allowable shear stress is 75 MPa and permissible twist is $1^{0}$ in a length of 3 m , find the diameter of the shaft. |
| :--- |
| Take Modulus of rigidity $=82 \mathrm{GPa}$ |
| OR |
| Explain how to find out the distribution factor for the member OA, $\mathrm{OB}, \mathrm{OC}, \mathrm{OD}$ meet at a rigid point O . All member have same EI value. $\mathrm{OA}=\mathrm{OC}=4 \mathrm{~m}, \mathrm{OB}=\mathrm{OD}=3 \mathrm{~m}$. Supports $\mathrm{A} \& B$ are hinged, C \& D are Fixed. Take EI as constant. | \& M3.03

$$
\text { M4. } 03
$$ \& U

U <br>
\hline
\end{tabular}

